In this work are considered computable numberings [4] of families from various classes $\Sigma^{-1}_\alpha$ in difference hierarchy [2], where $\alpha$ is computable ordinal number.

It is shown that there are no computable numbering of the family of all sets from class $\Delta^{-1}_\alpha$, where $\alpha$ is computable ordinal number.

Definition. Numbering $\{\nu_n\}_{n \in \omega}$ is called $\omega$-computable, if a set $\{< m, n > | m \in \nu_n\}$ is in class $\Delta^{-1}_\omega$.

In work is annonced Theorem. There is a $\omega$-computable minimal numberings of the family of all sets from class $\bigcup_{n \in \omega} \Sigma^{-1}_n$ in difference hierarchy.

In work [3] were proved that for all finite classes in difference hierarchy $\Sigma^{-1}_n$ there is minimal Friedberg numbering of the family of all sets from $\Sigma^{-1}_n$.